Adaptive Deployment for Pervasive Data Gathering in Connectivity-Challenged Environments

Tahiry Razafindralambo, Nathalie Mitton, Aline Carneiro Viana, Marcelo Dias de Amorim, and Katia Obraczka

Abstract—Some current and future pervasive data driven applications must operate in "extreme" environments where end-to-end connectivity cannot be guaranteed at all times. In fact, it is likely that in these environments partitions are, rather than exceptions, part of the normal network operation. In this paper, we introduce Cover, a suite of adaptive strategies to control the trajectory of "infrastructure" nodes, which are deployed to bridge network partitions and thus play a critical role in data delivery. In particular, we focus on applications where end (or target) nodes are mobile and their mobility is unknown. Our goal is then to deploy and manage infrastructure nodes so that application-level requirements such as reliable data delivery and latency are met while still limiting deployment cost and balancing the load among infrastructure nodes. Cover achieves these goals using a localized and adaptive approach to infrastructure management based on the observed mobility of target nodes. To this end, Cover takes advantage of contact opportunities between infrastructure nodes to exchange information about their covered zones, and thus, help monitor targets in a more efficient fashion. Through extensive simulations, we show how Cover's adaptive features yield a fair distribution of targets per infrastructure node based only on limited network knowledge.

I. INTRODUCTION

Context. Emerging pervasive communication systems will face a number of challenges including the need to operate in "extreme" environments and thus withstand frequent and arbitrarily long-lived connectivity disruptions. These disruptions in connectivity may be caused by a number of factors including node mobility, wireless channel impairments, participating nodes' energy and communication capability limitations, sparse deployments, etc. Examples of applications likely to operate in these extreme environments include emergency response and disaster recovery, environmental and habitat monitoring, vehicular networks, etc. In the literature, these networks have been referred to as intermittently-connected, highly-partitioned, or delay-tolerant networks (DTN) [1]. We focus specifically on scenarios where end nodes (or targets) such as vehicles, animals being monitored/trackected, humans, etc. are mobile and little a priori information about their mobility is known.

Motivation. It is then critical to design efficient protocols to support pervasive, "any time, any place" services in these networked environments prone to connectivity disruptions. Some of the main challenges include satisfying application-specific requirements under intermittent connectivity and without prior knowledge of network topology characteristics such as node location and mobility. This is a fairly complex zone coverage problem and constitutes the main focus of this paper.

Previous work on deployment management using mobile infrastructure nodes (e.g., robots) focused on static targets [2], [3], [4], [5], [6]. Here the goal is to "cover" multiple targets satisfying application-specific requirements (e.g., data freshness, delivery latency) without prior knowledge of the targets' location or mobility. Additionally, most efforts to-date use "flat" deployments, where mobile targets are also used for core network functions such as data routing and forwarding [7], [8], [9], [10], [11]. Instead, in this paper, we consider two-tiered deployments not only by mobile targets but also by mobile infrastructure nodes. Moreover, we also suppose that data-producing nodes (targets) do not have permanent network connectivity; instead, we assume that, through mobile infrastructure nodes, they are periodically connected to the network at most every t seconds. Such infrastructure nodes are specialized nodes whose trajectories are controlled and adapt over time to the targets’ mobility. The main issue in such a context is then how to deploy and manage the infrastructure nodes in order to guarantee that all the target nodes are covered while respecting the application constraints and balancing load. In the sequel, a target node is said to be "covered" if it is connected to the network using an infrastructure node at least every t seconds.

Contributions. To improve the availability of the system with respect to the driving applications, this paper introduces Cover, an adaptive strategy for infrastructure node placement and (trajectory) control. Cover relies on localized mechanisms that combine information about characteristics of the nodes and application requirements. Such fundamental problem has received very little attention in the literature. In particular, we focus on the following network deployment problem: Given an area to monitor and a set of target nodes with unlimited mobility within this area:

- Cover is localized, i.e., every decision taken by infrastructure nodes is based on local neighborhood information only. Cover takes advantage of contact opportunities between infrastructure nodes to exchange information about their covered zones, and thus, help monitor target displacement in a more efficient fashion. As a conse-
sequence, Cover scales better with regard to the network size and the mobility of the nodes.

- Cover ensures that every data-producing node is connected regularly to an infrastructure node.
- Cover balances the load between infrastructure nodes for an improved functioning of the system.

The remainder of this paper is structured as follows. In Section II we discuss the problem statement and present our system model and assumptions. In Section III, we describe the main components of Cover. Through extensive simulations, we evaluate Cover’s performance under different node densities and mobility patterns in Section IV. We evaluate several performance metrics. The results show among other issues, the impact of the mobility pattern of targets on the shape of zones covered by infrastructure nodes. In addition, results confirm the good distribution of targets per node, which is reached independently of the mobility patterns of the targets. Finally, Section V presents the related work and Section VI concludes the paper.

II. PROBLEM STATEMENT, MODEL, AND ASSUMPTIONS

In the system considered in this paper, target nodes (TN) generate data that must be collected by infrastructure nodes (IN). Since the mobility of TNs is unpredictable and uncontrolled, the only solution is to control the trajectory and speed of INs to meet the required frequency of readings defined by the application. This means that every TN meets an IN in a regular way and that encounters cannot be spaced of more than some maximum delay. Furthermore, for the sake of fairness, we must balance the number of TNs to be monitored by INs. It is worth noting that a TN is said to be covered if it is connected to the network using an IN at least every $t$ seconds. Since the locations of the TNs are constrained by the area to be monitored, covering each physical points of the area every $t$ seconds ensures the coverage of each TN.

To meet the abovementioned challenges, Cover assigns geographical zones to mobile infrastructure nodes. To this end, infrastructure nodes constantly check the number of targets they cover and adapt their trajectory when necessary. In the following, we describe our scenario and the assumptions used in later sections. Table I summarizes the notation used in this paper.

A. Target area and population

We assume that the target area to be monitored is known and is a square of size $L \times L$. We divide this area into $C$ cells of size $l \times l$, where $l = L/\sqrt{C}$. In this area, we deploy $N$ mobile target nodes and $M$ infrastructure nodes. Note that the cell defines the minimum area that a static IN can continuously monitor. In this way, if the number of INs $M \geq C$, there is no need for infrastructure adaptation. In this paper, we consider the case where each IN has to monitor multiple cells (i.e., $M < C$). We denote $v_{IN}$ (resp. $v_{TN}$) the speed of INs (resp. TNs).

Let $Z(m_i)$ be the number of cells in the zone covered by IN $m_i$ and $T(m_i)$ be the number of TNs in these cells (i.e., the number of TNs monitored by $m_i$). We refer to these variables as, respectively, zone number and cover number. We also assume that there is a maximum number of TNs $T_{\text{max}}$ that a single cell can accommodate, which limits the number of TNs covered by $m_i$ to $T_{\text{max}} \times Z(m_i)$.

We assume that TNs have the same computational, memory, energy, and communication capabilities. On the other hand, we consider that INs have no energy constraints and that they have longer communication ranges. Two INs are considered as neighbors if the zones they cover share at least one border of size $l$. Fig. 1 illustrates one possible configuration for seven INs. In this example, $m_2$ has four neighbors ($m_1, m_3, m_4$ and $m_6$), while $m_7$ has only two neighbors ($m_1$ and $m_6$). We denote $\Gamma(m_i)$ the set of $m_i$’s neighbors.

B. Data reporting

By definition, TNs report to INs. An IN can retrieve data from a TN if and only if they occupy the same cell at the same time. An IN computes its trajectory as a function of the set of cells it has to monitor. INs have to regularly visit $Z(m_i)$ cells – we call the fact of visiting all cells of a zone a cycle and define it as the coverage of the IN. We refer the frequency at which a TN visits a cell as $f_{\text{min}}$. Finally, we assume that the time an IN spends in each cell is enough to retrieve data from at most a maximum number of TNs $T_{\text{max}}$.

<table>
<thead>
<tr>
<th>Notation</th>
<th>Meaning</th>
</tr>
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<tbody>
<tr>
<td>TN</td>
<td>Target node</td>
</tr>
<tr>
<td>IN</td>
<td>Infrastructure node</td>
</tr>
<tr>
<td>$N$</td>
<td>Number of TNs</td>
</tr>
<tr>
<td>$M$</td>
<td>Number of INs</td>
</tr>
<tr>
<td>$C$</td>
<td>Number of cells</td>
</tr>
<tr>
<td>$m_i$</td>
<td>Infrastructure node $i$</td>
</tr>
<tr>
<td>$f_{\text{min}}$</td>
<td>Minimum reading frequency</td>
</tr>
<tr>
<td>$\Gamma(m_i)$</td>
<td>Set of $m_i$’s neighbors</td>
</tr>
<tr>
<td>$T_{\text{max}}$</td>
<td>Maximum number of TNs per cell</td>
</tr>
<tr>
<td>$v_{TN}$</td>
<td>Speed of TNs</td>
</tr>
<tr>
<td>$v_{IN}$</td>
<td>Speed of INs</td>
</tr>
<tr>
<td>$T(m_i)$</td>
<td>Number of TNs covered by $m_i$</td>
</tr>
<tr>
<td>$T_{\text{opt}}$</td>
<td>Optimal number of TNs per INs</td>
</tr>
<tr>
<td>$Z(m_i)$</td>
<td>Number of cells covered by $m_i$</td>
</tr>
<tr>
<td>$z_{\text{max}}$</td>
<td>Maximum number of cells an IN can cover</td>
</tr>
</tbody>
</table>

Fig. 1. Illustration of an area of $10 \times 10$ cells covered by 7 INs. The area covered by each of them is denoted by the node’s identifier.
Cells can be crossed in the three ways illustrated in Fig. 2. Note that crossing a cell always requires traveling distance equal to \( l \). We assume that INs have no prior knowledge on the mobility of the TNs.

III. ADAPTABLE ZONE COVERAGE

We present in this section how Cover guarantees the coverage of the whole monitored area, while supporting the requirements of the application. Cover algorithm is detailed in the following and formally described by Algorithm 1.

A. Meeting constraints with preliminary settings

**Frequency reading.** 1 is chosen such that a TN (with a given \( v_{TN} \)) can cross at most one cell during a reading period. This implies that \( v_{TN} \leq l \times f_{min} \). A cell has to be visited by an IN at least twice every \( \frac{1}{f_{min}} \) to ensure that every TN is covered at least once. Under these assumptions and for the reading frequency to be respected, the number of cells an IN can monitor (i.e., \( Z(m_i) \leq Z_{max} \)) has to be bounded with regards to the IN speed and the required reading frequency \( f_{min} \), where \( Z_{max} = \frac{v_{IN}}{v_{TN}} \times \frac{1}{f_{min}} \). Indeed, \( \frac{v_{IN}}{v_{TN}} \) represents the maximum number of cells that an IN can cover during a cycle of duration \( \frac{1}{f_{min}} \).

**Whole coverage.** At bootstrap, we assume that INs are uniformly distributed (cf. [12]). In this way, the zone to cover, composed of \( C \) cells, is equally shared among INs. Since an IN can cover at most \( Z_{max} \) cells, the system needs a minimum number of INs, \( M_{min} \), such that \( M_{min} = \left\lceil \frac{C}{Z_{max}} \right\rceil \). Given so, INs are assigned zones in a way that:

1. \( \left\lceil \frac{C}{Z_{max}} \right\rceil \) cells are assigned to \( (C \mod M) \) INs.
2. \( \left\lceil \frac{C}{Z_{max}} \right\rceil \) cells are assigned to \( (M - (C \mod M)) \) INs.

Indeed, at bootstrap, every cell is covered by exactly one IN. As we will see later, since at each step of the algorithm an IN delegates a cell if and only if another IN accepts to monitor it, whole coverage is always guaranteed.

**TN balancing.** The goal of Cover is to balance the number of TNs per IN in order to balance load. Each of the cells contains a certain amount of TNs. The number of TNs covered by \( m_i \) has to tend to an optimal value \( T_{opt} = N/M \) in order to balance the load among INs. Indeed, if every IN covers \( T_{opt} \) distinct TNs, by definition, the whole set of TNs is covered and coverage sets are non-overlapping.

B. Periodic learning and checking

The proposed algorithm is run in a distributed way at each IN. Every \( m_i \) is aware of its cover number \( T(m_i) \) and zone number \( Z(m_i) \) at all times, which it regularly broadcasts to its 1-hop neighbors. If correctly performed by the INs, the algorithm balances the number of TNs covered by each IN while ensuring the reading frequency and the coverage of the whole area. The algorithm works as follows. IN \( m_i \) regularly compares its cover number to \( T_{opt} + \theta \), where \( \theta \) is a constant such that \( 2\theta > T_{max} \). If \( T(m_i) > T_{opt} + \theta \), this means that \( m_i \) monitors too many TNs (cf. lines 2 – 5 in Algorithm 1). For a given \( m_i \), if \( T(m_i) \geq T_{opt} + \theta \), a variable LEAVE is set to 1. In this case, \( m_i \) checks whether one of its neighbors may take a cell from it (cf. line 15 in Algorithm 1), the procedure SELECT_IN\((m_i)\) is detailed in Algorithm 2. If a neighbor can take a cell from \( m_i \), \( m_i \) gives a cell to a selected neighbor \( u \). Cells are delegated one at once (cf. line 17 in Algorithm 1).

So, as \( m_i \) runs the process at each step, it naturally delegates cells till getting \( T(m_i) < T_{opt} + \theta \) or having no neighbor \( m_j \) able to receive an extra cell. However, as we will see later, this latter case is quite frequent and is considered in lines 6 – 13, 19 in Algorithm 1.

C. Neighbor selection SELECT_IN()}

Neighborhood discovery is performed by exchanging hello messages. IN \( m_i \) observes the cover and zone numbers of each of its neighbors to decide to which one it should give a cell.\( \) It first determines the neighbor \( m_j \) such that: (i) \( Z(m_j) < Z_{max} \), \( \forall m_k \in \Gamma(m_i) \), in order to ensure the reading frequency (cf. line 1 in Algorithm 2) and (ii) \( T(m_j) < T_{opt} - \theta \), \( \forall m_k \in \Gamma(m_i) \), in order to balance the number of TNs per IN (cf. line 3 in Algorithm 2). As \( \theta \) is such that \( 2\theta > T_{max} \), giving a cell to \( m_j \) cannot increase \( m_i \)’s cover number above \( T_{opt} + \theta \), which avoids a flip-flop phenomenon.

If the subset of neighbors satisfying the requirements listed above is non empty, \( m_i \) computes for each of them the product of their cover by their zone number, \( Z(m_j) \times T(m_j) \), and selects the one with the smallest product (cf. line 6 in

**Algorithm 1** Cover - Run periodically at every \( m_i \).

1: LEAVE ← 0
2: if \( T(m_i) > T_{opt} + \theta \) then
3: { \( m_i \) covers too many TNs, it has to share.}
4: LEAVE ← 1
5: end if
6: if (LEAVE=0) then
7: if \( \text{Check
eigh}_m \in \Gamma(m_i) \), \( \alpha = \text{TRUE} \) then
8: LEAVE ← 1
9: else
10: flag\((m_i)\) ← 0
11: LEAVE ← 0
12: end if
13: end if
14: if LEAVE= 1 then
15: \( u \leftarrow \text{SELECT\_IN}(m_i) \)
16: if \( u \neq \text{NULL} \) then
17: LEAVE_CELL\((u)\)
18: else
19: flag\((m_i)\) ← 1
20: end if
21: end if

Fig. 2. Three ways a cell can be crossed by INs.
Algorithm 2 Select_IN

1: $V \leftarrow m_j \in \Gamma(m_i) \text{ such as } Z(m_j) < Z_{\text{max}}$
2: \{ $V$ is the set of neighbors of IN $m_i$ which zone number is smaller than the maximum allowed.\}
3: $V' \leftarrow m_j \in V$ such as $Z(m_j) < T_{\text{opt}} - \theta$
4: \{ $V'$ is the set of neighbors of IN $m_i$ which cover number is smaller than the maximum allowed.\}
5: if $V' \neq \emptyset$ then
6: \hspace{1em} $u \leftarrow m_w \in V'$ which minimizes $T(m_w) \times Z(m_w)$
7: \hspace{1em} Return $u$
8: else
9: \hspace{1em} Return NULL
10: end if

Algorithm 3 Check_Neigh($m_i, \alpha$)

1: force_cell_leaving $\leftarrow$ FALSE
2: if $\alpha = 0$ then
3: \hspace{1em} $\alpha \leftarrow \text{rand}()$
4: end if
5: if $\alpha = \alpha - 1$ then
6: if $\alpha = 0$ then
7: \hspace{1em} for all $m_j \in \Gamma(m_i)$ do
8: \hspace{2em} if flag($m_j$) = 1 then
9: \hspace{3em} force_cell_leaving $\leftarrow$ TRUE
10: \hspace{2em} end if
11: \hspace{1em} end for
12: end if
13: Return force_cell_leaving

Algorithm 2). In case of ties, $m_i$ chooses at random between candidates. The product allows considering both features at the same time, without privileging one over the other.

**D. Cell delegation LEAVE_CELL()**

When assigning a cell to a neighbor line 17 in Algorithm 1, $m_i$ gives preference to cells that allow keeping its zone connected and as compact as possible. By compact, we mean that $m_i$ tries to minimize the size of its border. For instance, in Fig. 1 if $m_6$ decides to give a cell to $m_5$, it has the choice between cells $a, b, c, d$ and $e$. If $m_6$ decides to give cell $b$, its zone would be disconnected since cell $a$ will be no longer adjacent to another cell of $m_6$. If $m_6$ chooses cell $e$ or $d$, its remaining zone will be less compact (its border is enlarged by 2l). Finally, $m_6$ has choice between cells $a$ and $e$. In order to optimize its trajectory, $m_6$ selects cell $a$ (its border is then reduced by 2l). In this way, its zone remains connected and compact. Note that in some cases there might be only one candidate cell to be transferred. In such a case, the IN has no choice and thus the shape of the resulting zone may be not compact (as we will see in Section IV).

At this stage, $m_i$ initiates a negotiation phase with $m_j$. $m_i$ may refuse $m_j$’s request if it is already in a negotiation phase with another IN. If so, $m_i$ has to select another neighbor following the same rules as previously described. This condition guarantees that any IN receives at most one cell per step. This also prevents it from transgressing its cover number and having to leave a cell at its turn.

**E. Dealing with exceptions Check_Neigh()**

It may happen that an IN has too many TNs to monitor and cannot give any of its cells to a neighbor. This may occur for two reasons: (i) neighbors have reached the proper cover number (ii) or they have reached the maximal allowed number of cells to monitor. To better understand, let us consider again the example of Fig. 1. Assume that $m_5$ needs to give a cell to one of its neighbors, i.e., to $m_4$ or $m_6$. Also assume that $m_4$ and $m_6$ cannot receive any cell due to a cover number between $T_{\text{opt}} - \theta$ and $T_{\text{opt}} + \theta$. $m_5$ is in a deadlock situation. During a deadlock situation, $m_5$ sets a flag to 1 in the beacon it regularly sends (cf. line 19 in Algorithm 1). Since $\text{LEAVE} = 0$ for $m_4$ and $m_6$, they meet condition of line 6 in Algorithm 1. Check_Neigh is called by $m_4$ and $m_6$ in line 7 in Algorithm 1 but is described in Algorithm 3. This function is called with two parameters $m_i$ (let us say $m_4$) the id of the IN and $\alpha$. If $\alpha = 0$ when Check_Neigh is called, a new random positive integer is used (cf. line 3 in Algorithm 3). This function returns a boolean called $\text{force_cell_leaving}$ which is set to FALSE at the beginning of the function. The number $\alpha$ is decreased by 1. If the value of $\alpha$ is 0, and one or more of the neighbor $m_4$ has a flag set to 1, $\text{force_cell_leaving}$ is set to TRUE (cf. lines 6 - 12 in Algorithm 3). This is the case in our example since $m_5$ is in a deadlock. On the other hand, if $\alpha > 0$ or no neighbor has a flag set to 1, $\text{force_cell_leaving}$ is left to FALSE.

The return value of Check_Neigh (TRUE or FALSE) is used in line 7 in Algorithm 1. If Check_Neigh returns TRUE, a cells has to be delegated, and LEAVE is set to 1 (cf. line 8 in Algorithm 1). On the other hand, if Check_Neigh returns FALSE, LEAVE is left to 0 (cf. line 11 in Algorithm 1). In this case, the IN will re-enter Algorithm 1 with the previous value of $\alpha$. Yet, in Fig. 1, if $m_4$ triggers a smaller value of $\alpha$ than $m_6$, it can leave a cell to $m_3$ and then receives a cell from $m_3$ which will leave the deadlock condition. It is worth noting that using the remaining value of $\alpha$ increases fairness. Indeed, if $m_5$ has more cells to delegate, $m_6$ will probably have a smaller (remaining) value of $\alpha$ than $m_4$.

**IV. PERFORMANCE ANALYSIS**

Cover performances are evaluated through the WSNet simulator [13]. Since by construction, coverage is always provided and reading frequency respected, we mainly focus on the quality of IN load balancing. Due to the fact that TNs may be mobile, the number of TNs in a cell can not be bounded. Therefore, the parameter $\theta$ is set to 1 since the average number of TNs in a cell is $N/C < 1$ (cf. Table II). Although such a value for $\theta$ slows down the system and constraints cell exchanges at maximum, it allows the evaluation of the COVER protocol’s robustness in extreme situations.

We consider a square field of $1008m \times 1008m$ divided into $36 \times 36$ cells of edge $l = 28m$. We evaluate the evolution of
the network under the following mobility models of the TNs:

- **STA**: (for static) positions of TNs are uniformly and randomly chosen. This model is only used for comparison purpose. It also helps highlighting the algorithm’s performances under stable conditions.

- **BRO**: (for random walk mobility) TNs choose a direction between north, south, east, and west and move toward it for 1s at the speed of 1m/s. Targets stop then for 2s and repeat the process. This model may illustrate movement of cars in a city like New York City.

- **RWP**: (for random way point) TNs travel from a starting point to a randomly chosen destination at a randomly chosen speed between $[0.1; 5]$ m/s. When it reaches its destination, it pauses for 2s before randomly choosing a new destination. This model may illustrate worst movement case of animals in large space.

- **REB**: (for rebound) TNs draw a random angle between $[0, 2\pi]$ and a speed between $[0.1; 5]$ m/s. When they reach a border, they bounce with the same angle. Unlike in RWP, here, TNs are more likely to be spread out in the field.

These mobility models were chosen due to their characteristics [14] such as:

- Memory-less, to avoid INs from learning the mobility pattern and thus to simulate worst case. Note that if INs can estimate the mobility pattern or if the TNs follow a group mobility models, the performance of the algorithm can be increased. This investigation is left to future works.

- Different node distribution. This characteristic helps us to evaluate the performance of the algorithm when TNs are not uniformly distributed.

Infrastructure nodes run Cover at every $t$ seconds, where $t$ is randomly and uniformly chosen at each step in the interval $[0.9; 1.1]$ in order to break synchronization and to have an up-to-date coverage. Simulation parameters are summarized in Table II.

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Value</th>
</tr>
</thead>
<tbody>
<tr>
<td>network area $L$</td>
<td>$1008 \times 1008$ m</td>
</tr>
<tr>
<td>size of cells $l$</td>
<td>$28 \times 28$ m</td>
</tr>
<tr>
<td>Number of cells $C$</td>
<td>250</td>
</tr>
<tr>
<td>number of TNs $N$</td>
<td>$N = \frac{L}{C}$</td>
</tr>
<tr>
<td>mobility models</td>
<td>STA, BRO, RWP, REB</td>
</tr>
<tr>
<td>simulation duration</td>
<td>500s</td>
</tr>
</tbody>
</table>

Simulation results are divided into three parts. Section IV-A is dedicated to the evaluation of the zone coverage along time for different mobility models. Results show that the shape of the zones strongly depends on the mobility pattern of the TNs. Section IV-B focuses on the quality of distributions of the cover and zone numbers. Results reveal that Cover exhibits good performances as the distribution of TNs per IN follows a normal distribution around the average. They also show that more than 50% of the INs cover the optimum number of TNs $T_{opt}$. This reveals the good cell distribution per IN. Finally, Section IV-C shows the evolution of the zone and cover numbers per IN along time to measure the quality of the load balancing. Simulations show that our algorithm evenly distributes the number of TNs per IN independently from the mobility of the TNs. Moreover, Cover is highlighted to adapt very quickly to changes due to the mobility of TNs (in less than 10 rounds). We also show that there is a tradeoff between the zone number and the number of TNs per IN. All the gotten results are discussed in detail in the following.

### A. Zone coverage evaluation

We first evaluate the zone coverage evolution along time. At initialization, all INs have the same zone number (or almost the same for uneven topologies). Targets are randomly and uniformly distributed over the field. Fig. 3 shows the evolution of zone shapes for different mobility models at different simulation times. Different grayscales denote different coverage zones (one per IN, 9 INs).

![Fig. 3. Example of zone evolution with 9 INs depending on simulation time.](image)

When TNs are static and uniformly distributed, Fig. 3 shows that the zone distribution is close to the initial one. We can also see that after 160s, the zone distribution reaches its final shape. In the RWP model, the IN in the middle of the field has a small number of cells. This can be explained as follows. In the RWP model, TNs are concentrated in the middle of the field [15], [16]. Therefore, in order to balance its cover number, the corresponding IN gives a large part of its cells to...
other nodes. On the other hand, zone distributions for the BRO and the REB mobility models are more likely to be spread out over the field.

B. TN distribution

In this section, we plot the distribution of TNs for two different numbers of INs (30 and 70) and for the four different mobility models. The distribution is computed after 500s of simulation and we run 30 simulations for each graph. The simulation setup gives the following indications: the average number of TNs per IN is \( \sim 8.33 \) for 30 INs and \( \sim 3.5 \) for 70 INs, while the average numbers of cells per IN are, respectively, \( \sim 43.2 \) and \( \sim 18.5 \).

**Distribution of the cover number:** Fig. 4 shows the distribution of TNs per IN. In each case, the distribution is close to a normal distribution. Note that more than 50\% of the INs cover the average number of TNs. Thus, Cover performs well independently from the mobility of TNs.

We also conducted a number of simulations to check the dependency of the number of INs. The results are shown in Fig. 5(a). As we can see, Cover fairly balances the number of TNs per IN, whatever the number of INs and the mobility pattern followed by the TNs.

**Distribution of the zone number:** Fig. 6 plots the distribution of cells per IN. The results show that, as expected, the performance of our algorithm is increased when the TNs are static. Fig. 6 shows that the zone number distribution approaches a normal distribution around the average number, except for RWP. For this latter case, the result is related to the one provided in Section IV-A, where the IN in the middle of the field has a smaller number of cells, and that INs in the border of the field have a larger zone number. When the number of INs increases, this behavior is alleviated because the number of INs in the middle of the field increases, which can reduce the cover number of the INs. However, this behavior is expected in our algorithm since Cover does not try to balance the zone number in priority. It first adapts to TNs mobility. Since TNs do not end up in a uniform distribution, the same applies to the zone numbers. However, Fig. 5(b) shows that the average number of cells per IN corresponds to the theoretical average. Further investigations are needed to provide a better trade-off between the two metrics. Finding this tradeoff is left to future works.

C. Evolution of zone and cover numbers

In this section, we plot the evolution of the cover number and zone number of INs over time. Results provided in Fig. 7 show that our algorithm always tries to maintain the number of TNs close to the average and also show that under stable condition, convergence is fast. In these simulations, we consider 80 INs, which leads to 3 TNs per IN and 16.2 cells per IN in average. It is important to notice here that Fig. 7 shows the evolution of the cover number and zone number for a specific IN \( m_i \) is equal to the average value (due to simulation setup) but \( T(m_i) \) can be greater or lower than \( T_{opt} \). In Figure 7(a) when TNs are static and \( T(m_i) < T_{opt} \), we can see that \( T(m_i) \) increases until it reaches the average value in less than 10 seconds (10 rounds). At the same time, the number of cells also increases. This shows that our algorithm tries to evenly distribute the number of TNs per IN instead of maintaining the number of zone per IN. This behavior explains the results provided in Section IV-B, which shows the distribution of zone per IN. When TNs are mobile, \( T(m_i) \) can vary; therefore, cells are exchanged between INs and their neighbors. Figures 7(b), 7(c) and 7(d) show that the maximum
number of TNs per INs is 6 and the minimum is 0 (for the specific observed IN) and that the algorithm tries to evenly distribute the number of TNs per INs.

Fig. 7 also shows that our algorithm presents fast reaction when the number of TNs vary, although exchanged cells does not necessarily contain TNs.

V. RELATED WORK

Area coverage has been investigated in the literature for a while. However, existing solutions have been designed to cover static points/targets. There are mainly three categories of works that focus on coverage optimization in the literature: 1) random deployment of sensors: which consists in a huge number of sensors being randomly deployed with activity scheduling or power control techniques being used to reduce the network density [17], [18]; 2) off-line computation of sensor placements: which is based on network performance, connectivity and area coverage [19], [20], [21]. The works presented in these papers give an overview of possible off-line node placements and their coverage performances; and 3) sensor repositioning scheme: which mainly focuses on the sensor (re)positioning or online placement [22], [23]. Some similar approaches to Cover also take advantage of node mobility to enhance the network connectivity [24] but in these approaches, the mobility of target nodes is known and controlled. For the interested reader, a complete state of the art has been provided by Younis and Akkaya [25].

The literature shows different type of coverage depending on the application requirements. In the sequel, we only focus on coverage involving mobile devices (sensor repositioning scheme) since in our algorithm INs are mobile and are used for coverage purpose. Coverage requirement provided in the literature can be divided into three main categories.

- In the full coverage problem, sensors have to maximized the covered area. The work proposed in [22] and [23] uses virtual force based movement to increase the covered area. By using a combination of mutually opposing forces, each mobile node maximizes its coverage.
- In barrier coverage problem [26], sensors have to form a barrier that detects any events crossing the barrier. A barrier is defined as a segment between two points of the sensor field between which the sensors have to be evenly distributed. The work proposed in [27] uses virtual forces to relocate sensors.
- In the points of interests coverage, only some specific points of the sensor field need monitoring. [28] consider points coverage. In these papers, the authors propose an algorithm to periodically monitor some specific points.

In this paper, we focused on a different coverage issue that is the coverage of mobile targets by mobile infrastructure nodes. As in the case of point of interest coverage, mobile targets have to be covered by the mobile infrastructure nodes. Moreover, since targets are moving, a full coverage is needed to cover all possible location. Since our infrastructure nodes are mobile, we also consider online deployment issues. These requirements and assumptions lead to a complex coverage problem that we think is part of a new category of coverage strategies.
coverage and sweep coverage. Other interesting issues to investigate are when assumptions are hardened. Indeed, so far, we assume that every TN of a cell c is read when a IN crosses c. However, the data transmission may not be immediate. Future works will thus include how IN speed should be decreased to ensure the proper reading of every TN, while still ensuring frequency reading requirements.

VI. SUMMARY AND OUTLOOK

In this paper, we presented Cover, a distributed algorithm for adaptive infrastructure deployment in two-tiered intermittently connected networks. Infrastructure nodes track mobile target nodes while respecting the reading frequency requirement and keeping a (close to) optimal ratio of the number of targets per infrastructure node. We showed through theoretical analysis and extensive simulations that our algorithm converges when the target nodes are fixed and that the number of target nodes per infrastructure node is close to the optimum at any time independently of the mobility pattern of the target nodes.

Next steps of this work include different assumptions regarding the communication stack used in each node. We will also investigate ways to reduce the number of infrastructure nodes and propose loose algorithms that allow some parts of the area to be temporarily uncovered if empty. This will imply the combination of coverage techniques such as barrier coverage and sweep coverage.

REFERENCES


Fig. 7. Evolution of the cover and zone numbers over time for a specific IN. In this simulation, we consider 50 INs and a simulation time of 500s. Optimal value of TNs per IN is ~ 3 and average value of Cells per IN is ~ 16.


